# Time Calibration in Experiments with Networked Sensors

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Rebasing time series from networked measurement devices into a single timeline



### Physiological experiments framework

- Experiments with physiological sensors
  - Sample rates can be high  $\Rightarrow$  large volumes of data
  - Sampling rates vary across time scales  $\Rightarrow$  unaligned records
- Sensors connected to different machines  $\Rightarrow$  synchronisation issues

Readings from multiple physiological sensors are reported by several computers to a centralised collection server [1].

#### Physiological sensors have varying time signatures and data sizes.

Sensor	Sampling rate	Data streams	Device
Eye tracking glasses	30 Hz	3 chan.: gaze direction, pupil dilation, blinks	SMI ETG
EEG	128 Hz	14 channels	Emotiv Epoc
GSR and BVP	512 Hz	2 chan.: skin conductance, blood volume pulse	Procomp Infiniti
Posture	500 Hz	16 channels: pressure, distance	$2 \times Phidget 8/8/8$
Simulator events	50 Hz	10+ channels	C# interface
Human annotations	125 Hz	1 channel: key logging	Keyboard

### **Post hoc** Timestamp Correction

• Sample reporting event  $t_e$  is timestamped

- Little support for cross-sensor synchronisation
- Framework for storing and synchronising physiological data from various equipments
  - Store high volumes of data in central location
  - Scalable to allow addition of new sensors
- Low cost and easily deployable
  - $\Rightarrow$  The OML measurement framework [2] is a good candidate
- Synchronisation mechanisms
- $\Rightarrow$  Problem!
- Synchronisation is hard
  - clock discrepancies
  - network latencies
  - expensive solutions (*e.g.*, GPS)



• Goal: Find a *post hoc* algorithm to resynchronise sample timestamps.





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- at node n before transmission,  $c_n(t_e) = t_e + \Delta_n(t_e)$ , and
- at server s incl. network delay,  $c_s(t_e^{r_n}) = t_e + \Delta_{n,s}(t_e) + \Delta_s(t_e + \Delta_{n,s}(t_e))$ .
- Use the TTP algorithm [3] to estimate actual time of event i
  - Use round-trip times to server  $d_j$

$$T_{est}^{n}(i) = c_{s}(i) - \frac{1}{i} \sum_{j=1}^{i} c_{s}(j) + \frac{1}{i} \sum_{j=1}^{i} c_{n}(j) + \frac{1}{i} \sum_{j=1}^{i} di_{s}(j) + \frac{$$

• Experimental evaluation



- Experiment setup: known artificial clock offset and network delays are introduced, for later correction.
- 2 measurement nodes
- Event: simultaneous keypress via modified hardware
- Introduce artificial clock offset and network delays
- up to 1 s offset
- up to 2s RTT
- both static and variable



Pairwise comparisons of timestamps for a give event (static clock offset and network delay).

Errors in raw and estimated timestamps.

#### Summary

- Reduction of the estimated timestamp from the worst vantage point
  Still not as good as the best vantage point (but which one is it?)
- Future work
  - Improve TPP feed-forward approach further
  - Study other synchronisation techniques
  - Integrate into OML

- alone or combined
- Measure RTT and report RTT from each node once per second
- Compare timestamp differences for the same event

## www.nicta.com.au

#### References

- [1] R. Taib, J. Tederry, and B. Itzstein, "Quantifying driver frustration to improve road safety," in CHI 2014, Toronto, Ontario, Canada, Apr. 26, 2014. DOI: 10.1145/2559206.2581258.
- [2] O. Mehani, G. Jourjon, T. Rakotoarivelo, and M. Ott, "An instrumentation framework for the critical task of measurement collection in the future Internet," Comput. Netw., vol. 63, Apr. 22, 2014. DOI: 10.1016/j.bjp.2014. 01.007.
- [3] K. Arvind, "Probabilistic clock synchronization in distributed systems," IEEE Trans. Parallel Distrib. Syst., vol. 5, no. 5, May 1994. DOI: 10.1109/71. 282558.

From imagination to impact